

Algorithmic game theory

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Other notions of equilibria

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- Though ϵ -NE look natural at first sight, there are some drawbacks.
- For example, we know only quasi-polynomial algorithm to find ϵ -NE.
- Today we will see a new solution concept that can be found efficiently.

Correlated equilibria



- The concept of correlated equilibria was introduced by **Robert Aumann**, who received a **Nobel prize** in economics for his work in game theory.

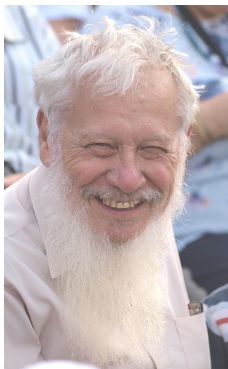


Figure: **Robert Aumann** (born 1930).

Sources: <https://en.wikipedia.org> and <https://slideslive.com/38910863/strategic-information-theory>

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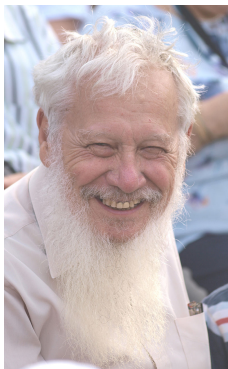


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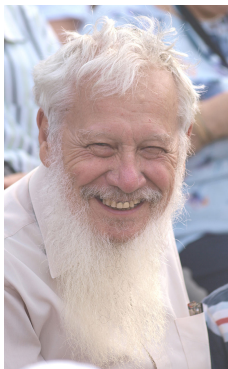


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Thank you for your attention.